

Electrolyte

Acid
Base
Salt



in
Soln.
molten

Electrolyte

SE

WE

* readily ionizes

* slowly

* completely

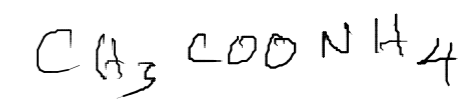
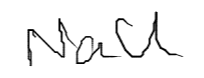
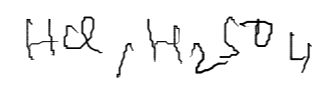
* incomplete

* $\alpha = 1$

* $\alpha < 1$

* Eg.

* Eg.

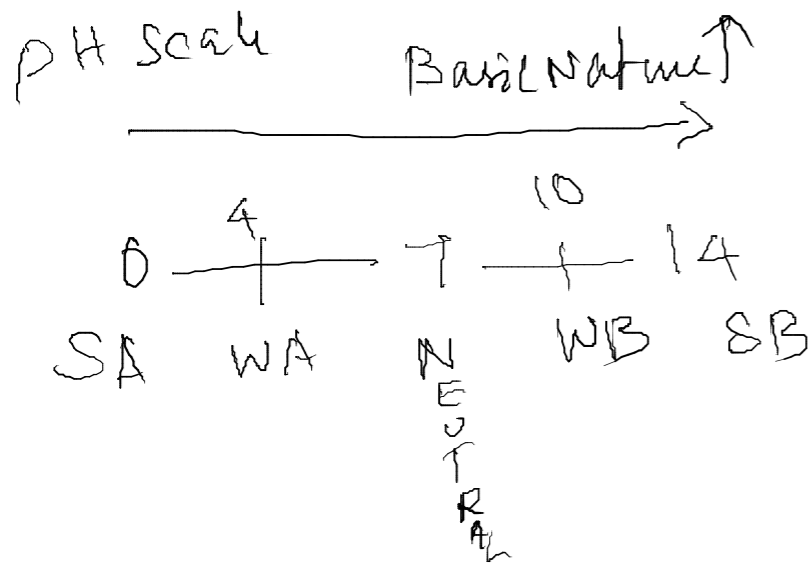


$$pH = -\log[H^+]$$

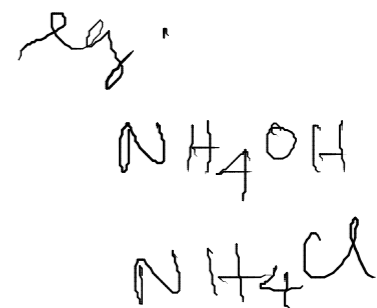
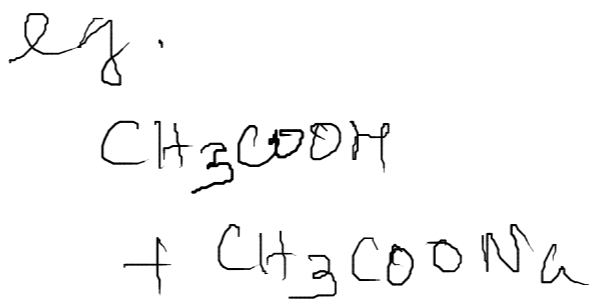
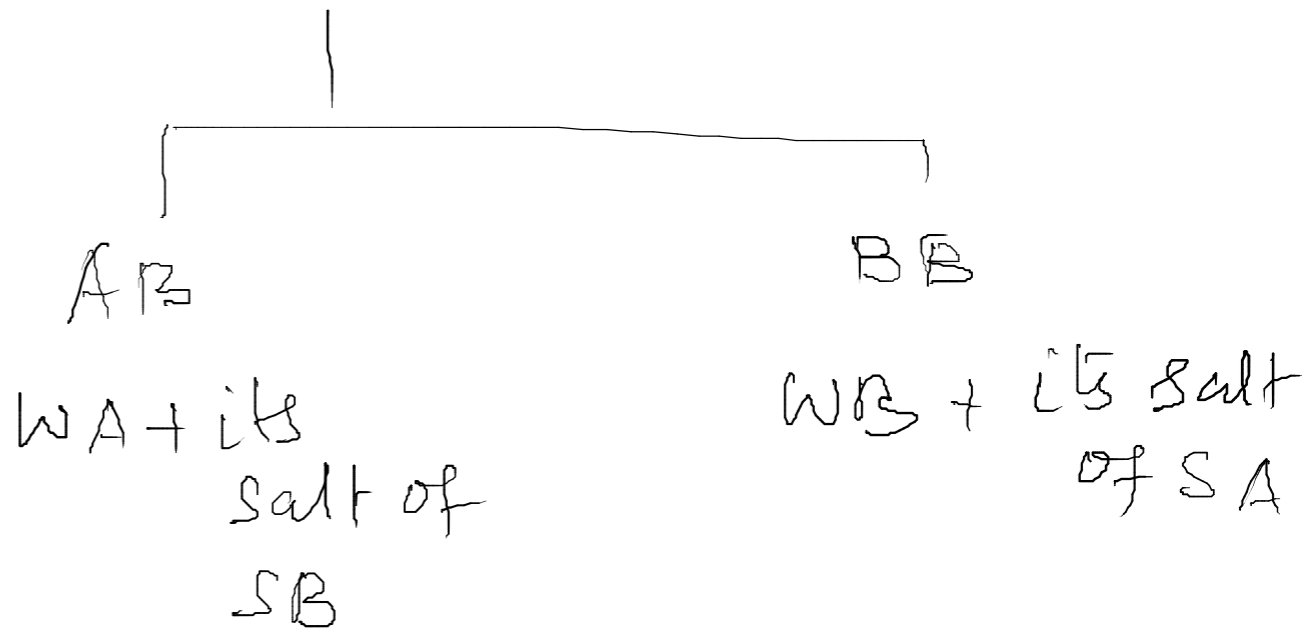
$$= -\log[H_3O^+]$$

$$pOH = -\log[OH^-]$$

$$pH + pOH = 14$$



Buffer — resists the change in pH

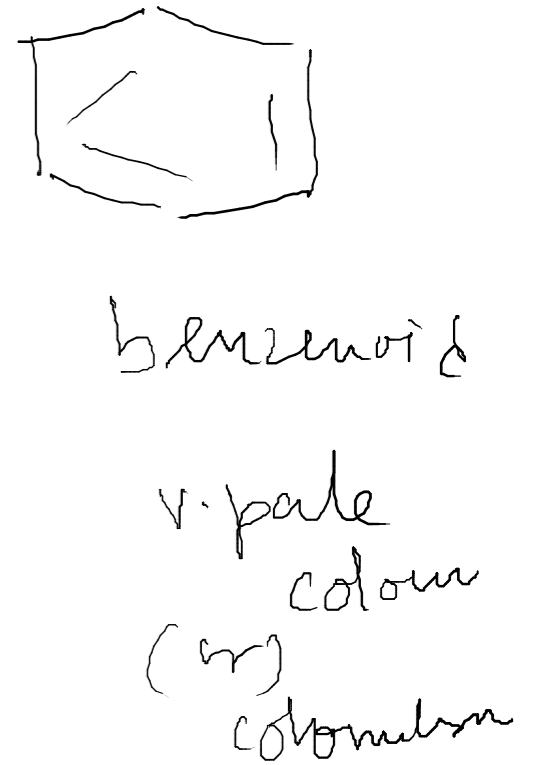
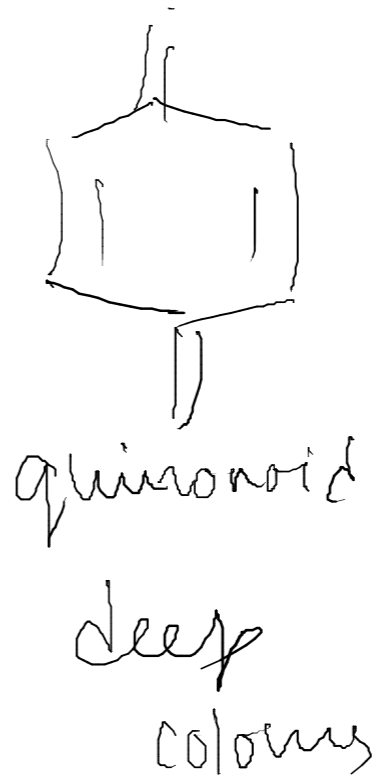
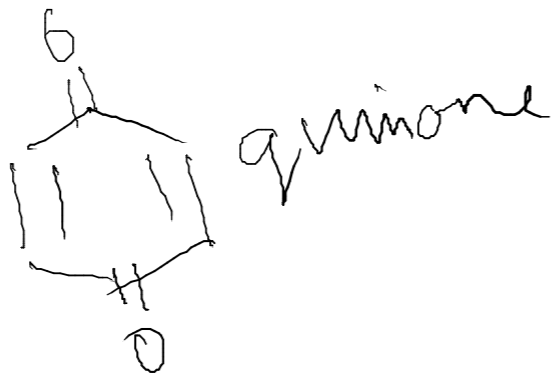


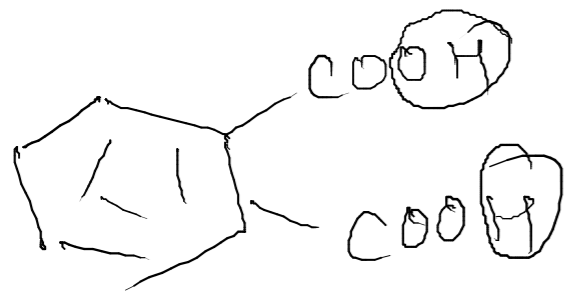
Theory of Indicators.

Acid - Methyl orange \rightarrow Red

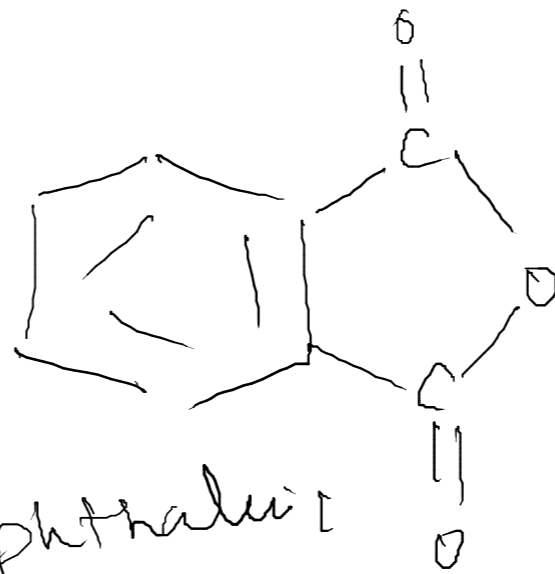
Base - Phenolphthalein
White \rightarrow Pink
Colourless

Quinonoid theory

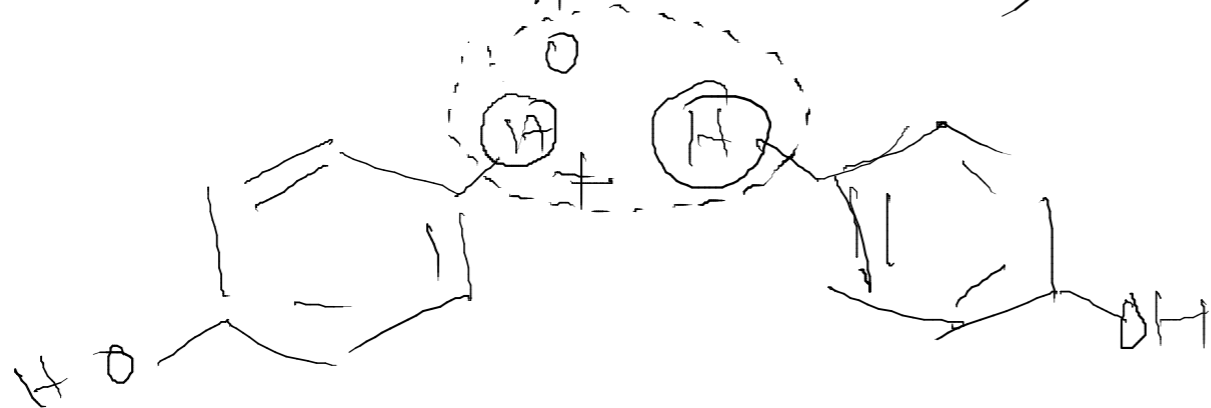
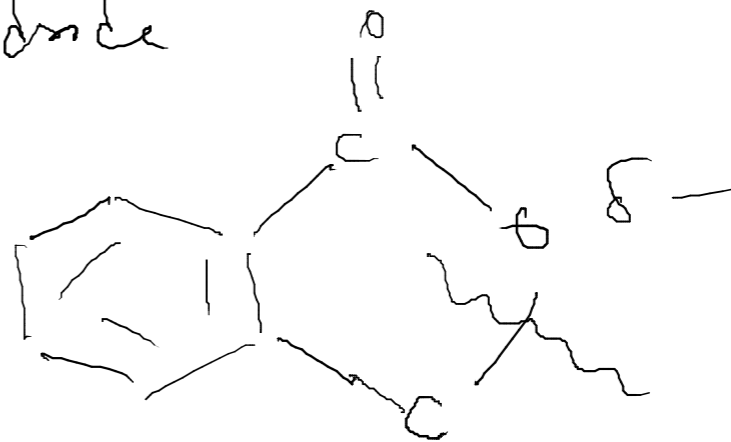
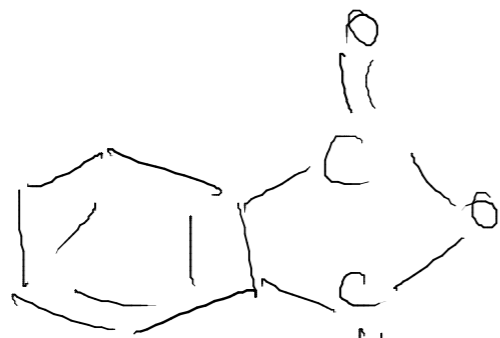




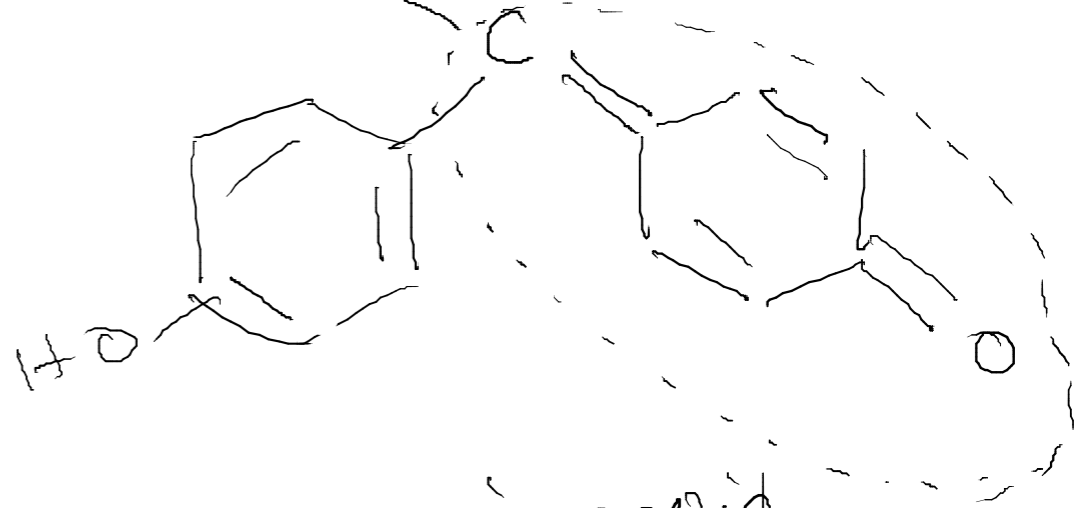
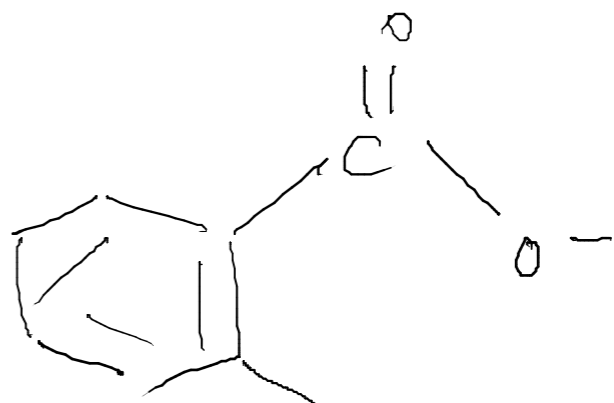
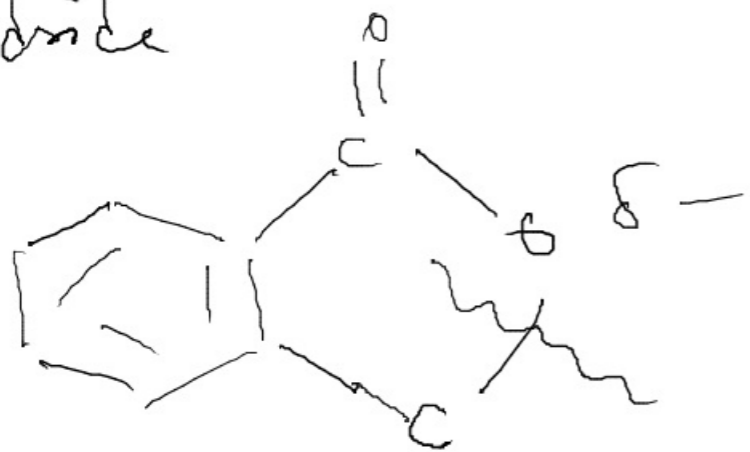
unstable
phthalic acid.



phthalic
anhydride



ylide⁻



benzenoid form

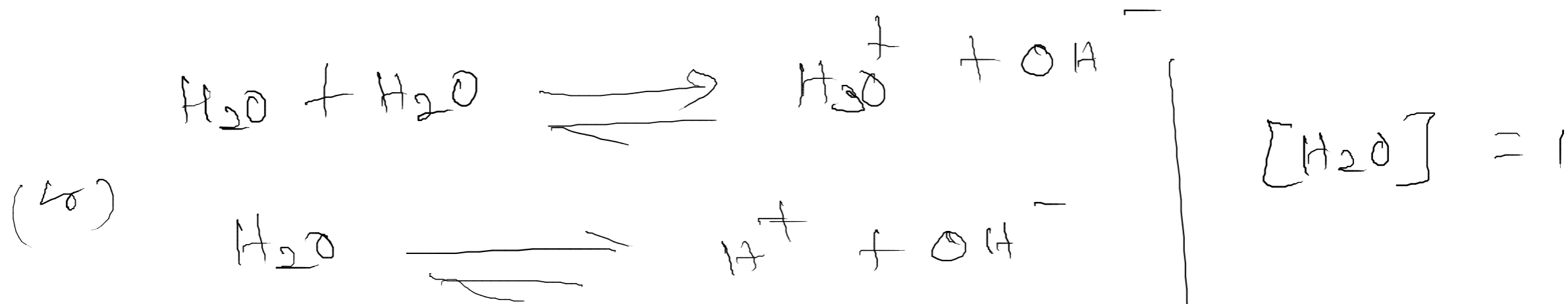
colourless
in acid

quinonoid form

pink colour
in base

IONIC PRODUCT OF WATER

- * Pure water does not conduct electric current.
- * Acidulated water conducts current.



$$K = \frac{[\text{H}^+][\text{OH}^-]}{[\text{H}_2\text{O}]}$$

$$K_w = [\text{H}^+][\text{OH}^-] = 10^{-14}$$

Ionic product
of water

$$K_w = [H^+] [OH^-] = 10^{-14}$$

$$\log K_w = \log [H^+] + \log [OH^-] = \log 10^{-14}$$

$\times (-1)$

$$-\log K_w = -\log [H^+] + [-\log [OH^-]] = -\log 10^{-14}$$

$$pK_w = pH + pOH = 14$$



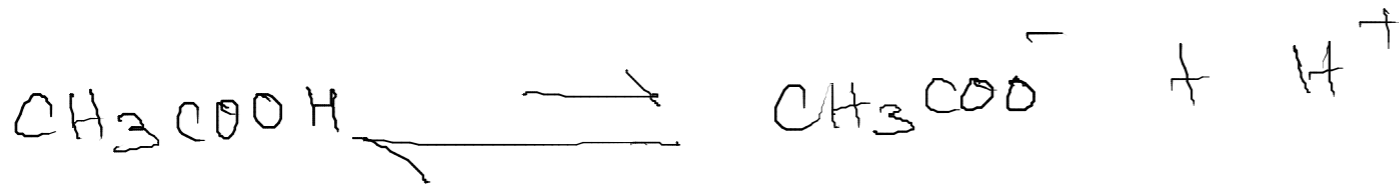
Acidic: $[H_3O^+] > [OH^-]$

Neutral: $[H_3O^+] = [OH^-]$

Basic: $[H_3O^+] < [OH^-]$

OPL (Ostwald's Dilution Law)

weak acid



Initial
mol. of
mole

1

—

—

During
x secs

α

—

—

After
eqm.
concn

$(1-\alpha)$

α

α

$c(1-\alpha)$

$c\alpha$

$c\alpha$

Acc. to
LMA

$$K_a = \frac{[CH_3COO^-][H^+]}{[CH_3COOH]}$$

$$K_a = \frac{\cancel{c}\alpha \times \alpha}{\cancel{c}(1-\alpha)}$$

$$K_a = \frac{c\alpha^2}{(1-\alpha)}$$

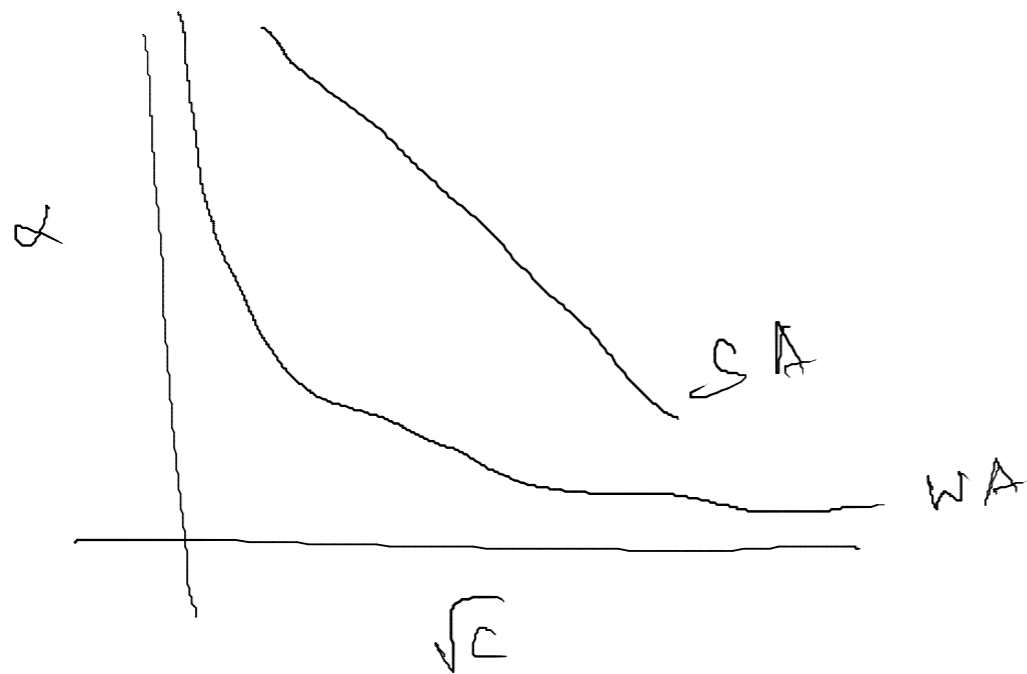
$\alpha \ll 1$

$$K_a = c\alpha^2$$

$$\alpha = \sqrt{K_a/c}$$

$$\alpha = \sqrt{\frac{K_a}{c}}$$

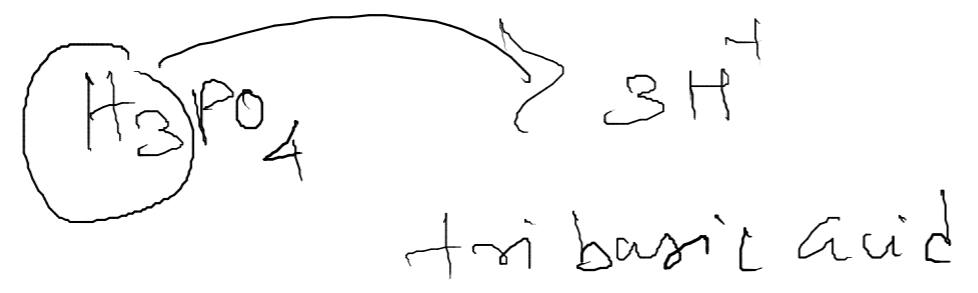
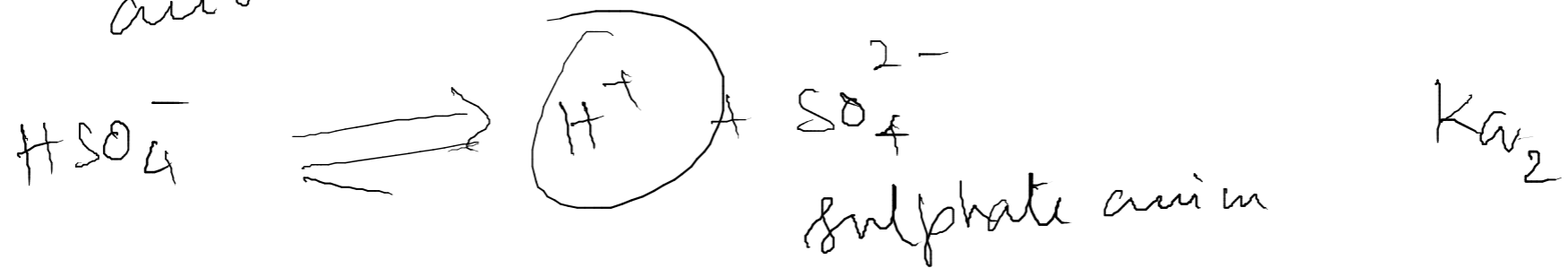
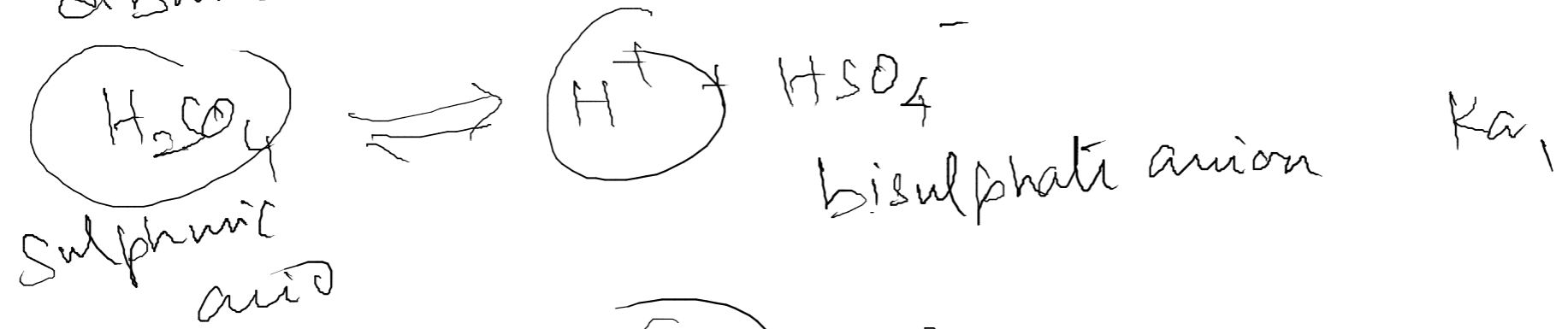
$$\alpha \propto \frac{1}{\sqrt{c}}$$



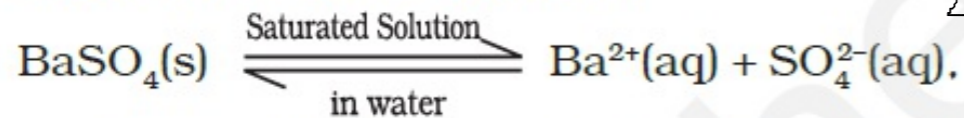
Weak base

$$\alpha = \sqrt{\frac{K_b}{c}}$$

dibasic acid



Solubility product



The equilibrium constant is given by the equation:

$$K = \frac{[\text{Ba}^{2+}][\text{SO}_4^{2-}]}{[\text{BaSO}_4]}$$

For a pure solid substance the concentration remains constant and we can write

$$K_{\text{sp}} = K[\text{BaSO}_4] = [\text{Ba}^{2+}][\text{SO}_4^{2-}] \quad (7.39)$$

We call K_{sp} the *solubility product constant* or simply *solubility product*. The experimental value of K_{sp} in above equation at 298K is 1.1×10^{-10} . This means that for solid barium sulphate in equilibrium with its saturated

$$K = \frac{[\text{Ba}^{2+}][\text{SO}_4^{2-}]}{[\text{BaSO}_4]}$$

NaCl	BaSO ₄ ↓	AgCl ↓
↓	↓	↓
H ₂ O	H ₂ O	H ₂ O
↓	↓	↓
True soln	sparingly sol.	sp. sol.
C	S	S

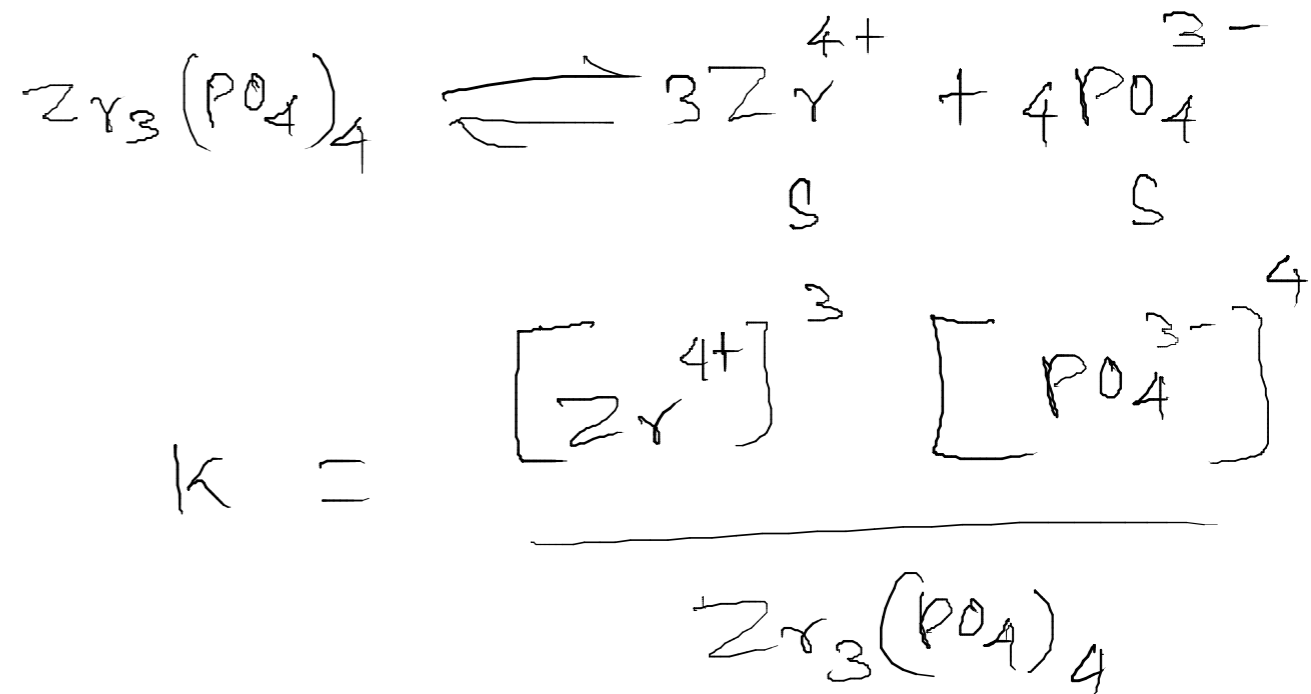
$$K_{\text{sp}} = S \cdot S$$

A salt may give on dissociation two or more than two anions and cations carrying different charges. For example, consider a salt like *zirconium phosphate* of molecular formula $(\text{Zr}^{4+})_3(\text{PO}_4^{3-})_4$. It dissociates into 3 zirconium cations of charge +4 and 4 phosphate anions of charge -3. If the molar solubility of zirconium phosphate is S , then it can be seen from the stoichiometry of the compound that

$$[\text{Zr}^{4+}] = 3S \text{ and } [\text{PO}_4^{3-}] = 4S$$

$$\text{and } K_{\text{sp}} = (3S)^3 (4S)^4 = 6912 (S)^7$$

$$\text{or } S = \{K_{\text{sp}} / (3^3 \cdot 4^4)\}^{1/7} = (K_{\text{sp}} / 6912)^{1/7}$$

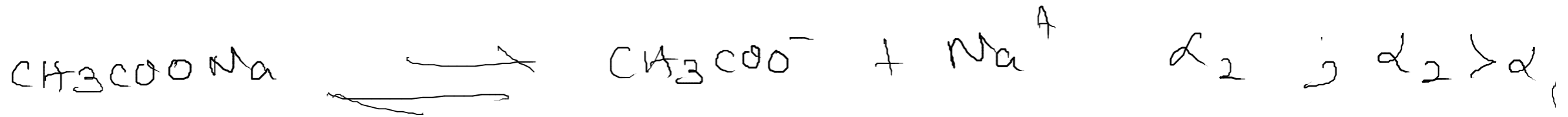
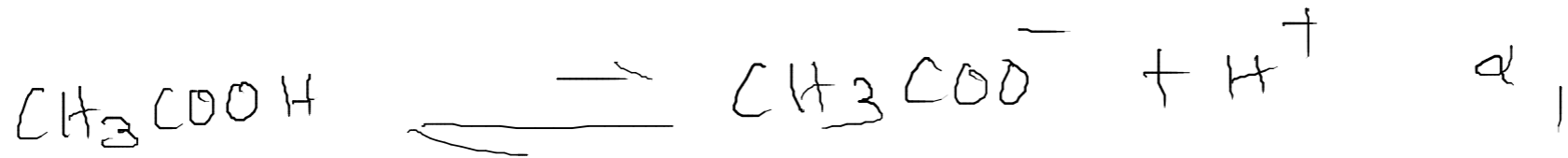


$$K_{\text{sp}} = (3S)^3 (4S)^4$$

$$= 3^3 \cdot 4^4 \cdot S^7$$

$$K_{\text{sp}} = 6912 S^7$$

Common ion effect



$$\boxed{\alpha_3 < \alpha_1}$$

buffer